

## Maths

- $A^{-1}$  exist if & only if A is \_\_\_\_\_.  
a) singular      b) non-singular      c) scalar  
d) diagonal
- If  $AA^T=I$  then the square matrix A is called \_\_\_\_\_.  
a) orthogonal    b) singular    c) non-singular    d) inverse
- Transforming a non-singular matrix A to the form  $I_n$  by applying elementary row operations is called \_\_\_\_\_ method.  
a) Gauss-Jordan      b) Gauss-Elimination  
c) Cramer's Rule      d) Matrix inversion
- The rank of a zero matrix is \_\_\_\_\_.  
a) 1      b) 2      c) 0      d) 3
- The minimum rank for a non-zero matrix is \_\_\_\_\_.  
a) 0      b) 1      c) 2      d) 3
- In a  $3 \times 3$  matrix, if  $|A|=0$  then the rank of a matrix is \_\_\_\_\_.  
a) 0      b) 1      c) 2      d) 3
- In a  $2 \times 2$  matrix, if  $|A| \neq 0$  then the rank of a matrix is \_\_\_\_\_.  
a) 0      b) 1      c) 2      d) 3
- The rank of the identity matrix  $I_n$  is \_\_\_\_\_.  
a) 1      b) 0      c) n      d)  $n^2$
- The adjoint of  $\begin{pmatrix} 2 & -3 \\ 4 & -1 \end{pmatrix}$  is \_\_\_\_\_.  
a)  $\begin{pmatrix} 2 & -3 \\ 4 & -1 \end{pmatrix}$     b)  $\begin{pmatrix} -1 & 3 \\ -4 & 2 \end{pmatrix}$     c)  $\begin{pmatrix} 1 & 3 \\ -4 & -2 \end{pmatrix}$     d)  $\begin{pmatrix} -2 & 3 \\ -4 & 1 \end{pmatrix}$
- A square matrix A of order n is invertible if & only if \_\_\_\_\_.  
a)  $\rho(A)=n$     b)  $\rho(A)<n$     c)  $\rho(A)=\rho(AB)$     d)  $\rho(A) \neq \rho(AB)$
- $a_{i1}A_{j1} + a_{i2}A_{j2} + \dots + a_{in}A_{jn} = |A|$  if  
a)  $i \neq j$       b)  $i=j$       c)  $i < j$       d)  $i > j$
- The inverse of A exist if \_\_\_\_\_ matrix.  
a) A is singular    b) non-singular    c) rectangular    d) zero
- If A is non-singular and A,B,C all are square matrices of order n and  $AB=AC$  then \_\_\_\_\_.  
a)  $B \neq C$       b)  $B=C$       c)  $B=A$       d)  $C=A$
- If  $|\text{adj } A| = 64$  then the value of  $|A| =$   
a) 16      b)  $\pm 8$       c) 4      d) 32
- If  $\text{adj } A = \begin{pmatrix} 2 & -1 \\ 3 & -1 \end{pmatrix}$  then  $A =$  \_\_\_\_\_.  
a)  $\begin{pmatrix} -2 & 1 \\ -3 & 1 \end{pmatrix}$     b)  $\begin{pmatrix} -1 & 1 \\ -3 & 2 \end{pmatrix}$     c)  $\begin{pmatrix} -1 & -1 \\ 3 & 2 \end{pmatrix}$     d) none of these
- Identify the correct statement:  
a) If A is symmetric then  $\text{adj } A$  is skew symmetric  
b) If A is symmetric then  $\text{adj } A$  is also symmetric
- If A is symmetric then  $A^T$  is non symmetric  
d) If A is symmetric then  $A^T$  is skew symmetric matrix
- If  $\text{adj } A = \begin{pmatrix} 1 & -1 \\ 2 & 0 \end{pmatrix}$   $\text{adj } B = \begin{pmatrix} 3 & 4 \\ -1 & 2 \end{pmatrix}$  then find  $\text{adj } AB =$   
a)  $\begin{pmatrix} 1 & 3 \\ -3 & 11 \end{pmatrix}$     b)  $\begin{pmatrix} 4 & 2 \\ 6 & 8 \end{pmatrix}$     c)  $\begin{pmatrix} 2 & -4 \\ 1 & 3 \end{pmatrix}$     d)  $\begin{pmatrix} 11 & -3 \\ 3 & 1 \end{pmatrix}$
- Uncoded matrix are (27 24) and (57 44) with Encoding matrix  $\begin{pmatrix} 4 & 3 \\ 1 & 1 \end{pmatrix}$  then clue word is \_\_\_\_\_.  
a) BOOK      b) COME      c) HELP      d) NOSE
- $\begin{pmatrix} \cos\theta & -\sin\theta \\ \sin\theta & \cos\theta \end{pmatrix}$  is not \_\_\_\_\_ matrix.  
a) orthogonal    b) skew symmetry    c) symmetry
- The rank of the matrix  $\begin{bmatrix} 2 & -4 \\ -1 & -2 \end{bmatrix}$  is  
a) 1      b) 2      c) 0      d) 8
- The rank of the matrix  $\begin{bmatrix} 7 & -1 \\ 2 & 1 \end{bmatrix}$  is  
a) 9      b) 2      c) 1      d) 5
- If A and B are matrices conformable to multiplication then  $(AB)^T$  is  
a)  $A^T B^T$       b)  $B^T A^T$       c) AB      d) BA
- $(A^T)^{-1}$  is equal to  
a)  $A^{-1}$       b)  $A^T$       c) A      d)  $(A^{-1})^T$
- If  $\rho(A)=r$  then which of the following is correct?  
a) all the minors of order r which do not vanish  
b) A has atleast one minor of r which does not vanish and all higher order minors vanish  
c) A has atleast one  $(r+1)$  order minor which vanishes  
d) all  $(r+1)$  and higher order minors should not vanish
- Which of the following is not elementary transformation?  
a)  $R_i \leftrightarrow R_j$       b)  $R_i \rightarrow 2R_i + R_j$     c)  $C_i \rightarrow C_j + C_i$     d)  $R_i \rightarrow R_i + C_j$
- Equivalent matrices are obtained by  
a) taking inverses    b) taking transposes    c) taking adjoints  
d) taking finite number of elementary transformations
- In echelon form, which of the following is incorrect?  
a) Every row of A which has all its entries 0 occurs below every row which has a non-zero entry  
b) The first non-zero entry in each non-zero row is 1  
c) The number of zeros before the first non-zero element in a row is less than the number of such zeros in the next row  
d) Two rows can have same number of zeros before the first non-zero entry

28. If  $\Delta \neq 0$  then the system is
- Consistent and has unique solution
  - Consistent and has infinitely many solutions
  - Inconsistent
  - Either consistent or inconsistent
29. In the system of 3 linear equations with three unknowns, if  $\Delta = 0$  and one of  $\Delta_x$ ,  $\Delta_y$  or  $\Delta_z$  is non-zero then the system is
- consistent
  - inconsistent
  - consistent and the system reduces to two equations
  - consistent and the system reduces to a single equation
30. In the system of 3 linear equations with three unknowns, if  $\Delta = 0$ ,  $\Delta_x = 0$ ,  $\Delta_y = 0$  or  $\Delta_z = 0$  and at least one  $2 \times 2$  minor of  $\Delta \neq 0$  then the system is
- consistent
  - inconsistent
  - consistent and the system reduces to two equations
  - consistent and the system reduces to a single equation
31. In the system of 3 linear equations with three unknowns, if  $\Delta = 0$  and all  $2 \times 2$  minors of  $\Delta = 0$  and at least one  $2 \times 2$  minor of  $\Delta_x$  or  $\Delta_y$  or  $\Delta_z$  is non-zero then the system is
- consistent
  - inconsistent
  - consistent and the system reduces to two equations
  - consistent and the system reduces to a single equation
32. In the system of 3 linear equations with three unknowns, if  $\Delta = 0$  and all  $2 \times 2$  minors of  $\Delta$ ,  $\Delta_x$  or  $\Delta_y$ ,  $\Delta_z$  are zeros and at least one non-zero element is in  $\Delta$  then the system is
- consistent
  - inconsistent
  - consistent and the system reduces to two equations
  - consistent and the system reduces to a single equation
33. Every homogeneous system (linear)
- is always consistent
  - has only trivial solution
  - has infinitely many solution
  - need not be consistent
34. If  $\rho(A) = \rho[A \ B]$  then the system is
- consistent and has infinitely many solution
  - consistent and has a unique solution
  - consistent
  - inconsistent
35. If  $\rho(A) = \rho[A \ B] =$  the number of unknowns then the system is
- consistent and has infinitely many solution
  - consistent and has a unique solution
  - consistent
  - inconsistent
36.  $\rho(A) \neq \rho(A, B)$  then the system is
- consistent and has infinitely many solution
  - consistent and has a unique solution
  - consistent
  - inconsistent
37. In the system of 3 linear equations with three unknowns,  $\rho(A) = \rho(A, B) = 1$  then the system
- has unique solution
  - reduces to 2 equations and has infinitely many solution
  - reduces to a single equation and has infinitely many solution
  - is inconsistent
38. In the homogeneous system with three unknowns,  $\rho(A) =$  number of unknowns then the system has
- only trivial solution
  - reduces to 2 equations and has infinitely many solution
  - reduces to a single equation and has infinitely many solution
  - is inconsistent
39. In the system of 3 linear equations with three unknowns, in the non homogeneous system  $\rho(A) = \rho(A \ B) = 2$  then the system
- has unique solution
  - reduces to 2 equations and has infinitely many solution
  - reduces to a single equation and has infinitely many solution
  - is inconsistent
40. In the homogeneous system  $\rho(A) <$  the number of unknowns then the system has
- only trivial solution
  - trivial solution and infinitely many non-trivial solutions
  - only non-trivial solutions
  - no solution
41. Cramer's rule is applicable only (with three unknowns) when
- $\Delta \neq 0$
  - $\Delta = 0$
  - $\Delta = 0$ ,  $\Delta_x \neq 0$
  - $\Delta_x = \Delta_y = \Delta_z = 0$
42. Which of the following statement is correct regarding homogeneous system?
- always inconsistent
  - has only trivial solution
  - has only non-trivial solutions
  - has only trivial solution only if rank of the coefficient matrix is equal to the number of unknowns